



**READY TO ACE CAT 2026?**

**Your Complete Self-Study Prep Ecosystem**

Exclusive Launch Waitlist Offer:

Join the waitlist today for an exclusive 20% discount on launch! Get priority platform access and all 15 reference sheets delivered directly to your inbox.

**JOIN WAITLIST AT [CATIN.IN](https://catin.in)**

# CAT Time, Speed, Distance & Work Formulas

- Time, Distance and Work is the most important topic for CAT Quant Section & all competitive exams.
- The questions from this topic vary from easy to difficult.
- This formula sheet covers the most importance tips that helps you to answer the questions in a easy, fast and accurate way

$$Distance = Speed \times Time$$

$$Speed = \frac{Distance}{Time} \quad \Bigg| \quad Time = \frac{Distance}{Speed}$$

- While converting the speed in m/s to km/hr, multiply it by  $\left(\frac{18}{5}\right) \Rightarrow 1 \text{ m/s} = 3.6 \text{ km/h}$

- While converting km/hr into m/sec, we multiply by

$$\left( \frac{5}{18} \right)$$

- If the ratio of the speeds of A and B is  $a : b$ , then
  - The ratio of the times taken to cover the same distance is  $1/a : 1/b$  or  $b : a$ .
  - The ratio of distance travelled in equal time intervals is  $a : b$ ,

$$\text{Average Speed} = \frac{\text{Total Distance Travelled}}{\text{Total Time Taken}}$$

- If a part of a journey is travelled at speed  $S_1$  km/hr in  $T_1$  hours and remaining part at speed  $S_2$  km/hr in  $T_2$  hours then,

$$\text{Total distance travelled} = S_1 T_1 + S_2 T_2 \text{ km}$$

$$\text{Average Speed} = \frac{S_1 T_1 + S_2 T_2}{T_1 + T_2} \text{ km/hr}$$

- If  $D_1$  km is travelled at speed  $S_1$  km/hr, and  $D_2$  km is travelled at speed  $S_2$  km/hr then,

$$\text{Average Speed} = \frac{D_1 + D_2}{\frac{D_1}{S_1} + \frac{D_2}{S_2}} \text{ km/hr}$$

- In a journey travelled with different speeds, if the distance covered in each stage is constant, the average speed is the harmonic mean of the different speeds.
- Suppose a man covers a certain distance at  $x$  km/hr and an equal distance at  $y$  km/hr. Then the average speed during the whole journey is  $\frac{2xy}{x+y}$  km/hr
- In a journey travelled with different speeds, if the time travelled in each stage is constant, the average speed is the arithmetic mean of the different speeds.

- If a man travelled for a certain distance at  $x$  km/hr and for equal amount of time at the speed of  $y$  km/hr then the average speed during the whole journey is

$$\frac{x+y}{2} \text{ km/hr}$$

---

## Constant Distance

Let the distance travelled in each part of the journey be  $d_1, d_2$  &  $d_3$  and so on till  $d_n$  and the speeds in each part be  $s_1, s_2, s_3$  and so on till  $s_n$

If  $d_1 = d_2 = d_3 = \dots = d_n = d$ , then the average speed is the harmonic mean of the speeds  $s_1, s_2, s_3$  and so on till  $s_n$ .

---

## Constant Time

Let the distance travelled in each part of the journey be  $d_1, d_2$  and  $d_3$  and so on till  $d_n$  and the time taken for each part be  $t_1, t_2, t_3$  and so on till  $t_n$ .

If  $t_1 = t_2 = t_3 = \dots = t_n = t$ , then the average speed is the arithmetic mean of the speeds  $s_1, s_2, s_3$  and so on till  $s_n$ .

## Clocks

→ Calculating the angle/position of the hands

- Speed of hour hand =  $0.5^\circ$  per minute
- Speed of minute hand =  $6^\circ$  per minute
- Relative speed of two hands =  $5.5^\circ$  per minute
- The angle (in degrees) between hour hand and minute hand at time H: M can be represented

$$\text{as: } \theta = \left| \frac{11}{2}M - 30H \right|^\circ$$



→ In a 12-hour period:

- The hour hand and the minute hand meet 11 times
- A  $180^{\circ}$  angle is formed between the two hands 11 times
- A  $90^{\circ}$  angle is formed between the two hands 22 times

catin.in

→ In a well-functioning clock, both hands meet

after every  $\frac{720}{11}$  Mins.

→ It is because the relative speed of the minute hand

with respect to the hour hand =  $\frac{11}{2}$  degrees per

minute.

## Erroneous Clocks

→ An erroneous clock is a clock which loses or gains time at a constant rate.

→ In case of an erroneous clock losing/gaining 'x' sec per minute,

- It will lose/gain 'x' minutes per hour.
- It will show the correct time after every '720/x' hours.
- The clock will show the same time again after 'y' hours where:

$$y = \frac{720}{60+x} \text{ if the clock gains time.}$$

$$y = \frac{720}{60-x} \text{ if the clock loses time.}$$

- If the clock is set right at 'Q' AM/PM. Then the time 'T' shown by the clock after 'h' hours pass on a correct clock would be:

$$T = Q + (h \times x) \text{ if the clock gains time.}$$

$$T = Q - (h \times x) \text{ if the clock loses time.}'$$

- If the clock is set right at 'Q' AM/PM. If 'h' hours pass on the erroneous clock, then the actual time 'T' shown by a correct clock would be:

$$T = Q + y ; y(\text{in hours})$$

$$= \frac{60h}{60+x} \text{ if the clock gains time}$$

$$= \frac{60h}{60-x} \text{ if the clock loses time.}$$

## Circular Tracks

If two people are running on a circular track with speeds in ratio  $a:b$  where  $a$  and  $b$  are co-prime, then

→ They will meet at  $a + b$  distinct points if they are running in opposite directions.

→ They will meet at  $|a - b|$  distinct points if they are running in same direction

- If two people are running on a circular track having perimeter 'l', with speeds 'm' and 'n',

$$\text{The time for their first meeting} = \frac{l}{(m+n)}$$

(when they are running in opposite directions)

$$\text{The time for their first meeting} = \frac{l}{|(m-n)|}$$

(when they are running in the same direction)



- If a person P starts from A and heads towards B and another person Q starts from B and heads towards A and they meet after a time 't' then,

$$t = \sqrt{(x \times y)}$$

where  $x$  = time taken (after meeting) by P to reach B  
and  $y$  = time taken (after meeting) by Q to reach A.

- A and B started at a time towards each other. After crossing each other, they took  $T_1$  hrs,  $T_2$  hrs respectively to reach their destinations. If they travel at constant speed  $S_1$  and  $S_2$  respectively all

over the journey, then 
$$\frac{S_1}{S_2} = \sqrt{\frac{T_2}{T_1}}$$

---

## Trains

Two trains of length  $L_1$  and  $L_2$  travelling at speeds  $S_1$  and  $S_2$  cross each other in a time

$$= \frac{L_1 + L_2}{S_1 + S_2} \text{ (If they are going in opposite directions)}$$

$$= \frac{L_1 + L_2}{|S_1 - S_2|} \text{ (If they are going in the same directions)}$$

---

## Time & Work

⇒ If X can do a work in 'n' days, the fraction of work X does in a day is  $\frac{1}{n}$

⇒ If X can do work in 'x' days, and Y can do work in 'y' days, then the number of days taken by both of them together is  $\frac{x \times y}{x + y}$

$\Rightarrow$  If  $M_1$  men work for  $H_1$  hours per day and worked for  $D_1$  days and completed  $W_1$  work, and if  $M_2$  men work for  $H_2$  hours per day and worked for  $D_2$  days and completed  $W_2$  work, then

$$\frac{M_1 H_1 D_1}{W_1} = \frac{M_2 H_2 D_2}{W_2}$$

## Boats & Streams

$\Rightarrow$  If the speed of water is 'W' and speed of a boat in still water is 'B'

$\Rightarrow$  Speed of the boat (downstream) is  $B+W$

$\Rightarrow$  Speed of the boat (upstream) is  $B-W$

The direction along the stream is called **downstream**.

And, the direction against the stream is called **upstream**.



⇒ If the speed of the boat downstream is  $x$  km/hr and the speed of the boat upstream is  $y$  km/hr, then

⇒ Speed of the boat in still water =  $\frac{x + y}{2}$  km/hr

⇒ Rate of stream =  $\frac{x - y}{2}$  km/hr

⇒ While converting the speed in m/s to km/hr,

multiply it by  $\left(\frac{18}{5}\right) \Rightarrow 1 \text{ m/s} = 3.6 \text{ km/h}$

⇒ While converting km/hr into m/sec,

we multiply by  $\left(\frac{5}{18}\right)$

---

## Pipes & Cisterns

⇒ Inlet Pipe : A pipe which is used to fill the tank is known as Inlet Pipe.

⇒ Outlet Pipe : A pipe which can empty the tank is known as outlet pipe.

- If a pipe can fill a tank in 'x' hours then the part filled per hour =  $\frac{1}{x}$
- If a pipe can empty a tank in 'y' hours, then the part emptied per hour =  $\frac{1}{y}$
- If a pipe A can fill a tank in 'x' hours and pipe can empty a tank in 'y' hours, if they are both active at the same time, then

$$\text{The part filled per hour} = \frac{1}{x} - \frac{1}{y} \quad (\text{If } y > x)$$

$$\text{The part emptied per hour} = \frac{1}{y} - \frac{1}{x} \quad (\text{If } x > y)$$

---

## Some Tips and Tricks

- Some of the questions may consume a lot of time. While solving, write down the equations without any



errors once you fully understand the given problem. The few extra seconds can help you avoid silly mistakes.

- Check if the units of distance, speed and time match up. If you see yourself adding a unit of distance like m to a unit of speed m/s, you would realise you have possibly missed a term.
  - Choose to apply the concept of relative speed wherever possible since it can greatly reduce the complexity of the problem.
  - In time and work, while working with equations, ensure that you convert all terms to consistent units like man-hours.
-

